



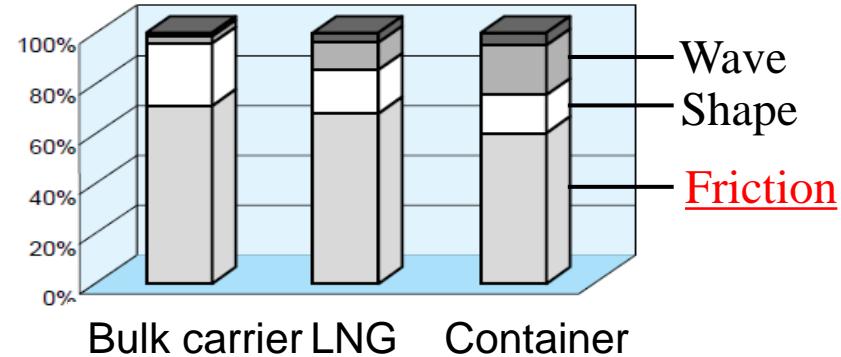
# channelFoamを用いた チャネル乱流の直接数値計算

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# Introduction

## Drag reduction for energy saving of ship



Friction coefficient :  $C_T = C_S$  (Shape) +  $C_W$  (Wave) +  $C_f$  (Surface Friction)

## Drag reduction techniques

Commercial hydrogel paintings

LF-Sea (Nippon Paint)

Hydrogel formation

DR ~ 10%

Biomimetic

Water trapping effect



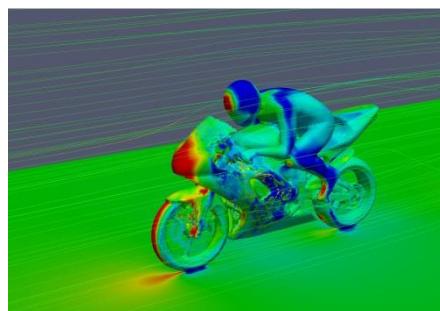


# Numerical Simulation of wall turbulence

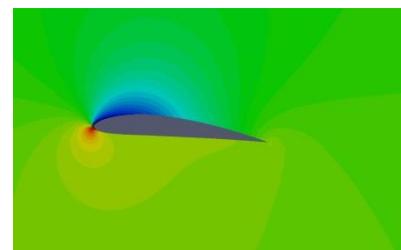
channelFoam ... incompressible solver for channel flow

Complicated geometry

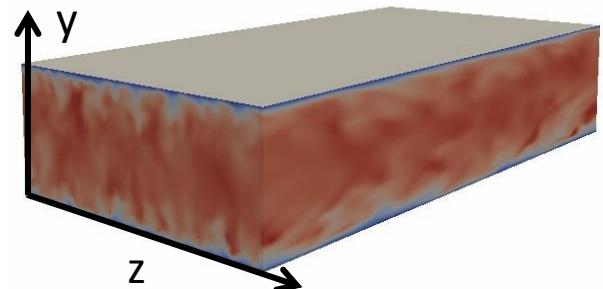
Motor bike case



Wing case

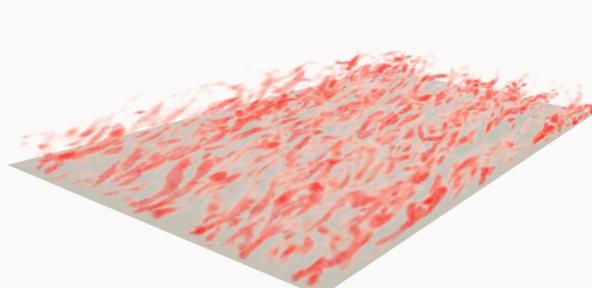


Simple geometry



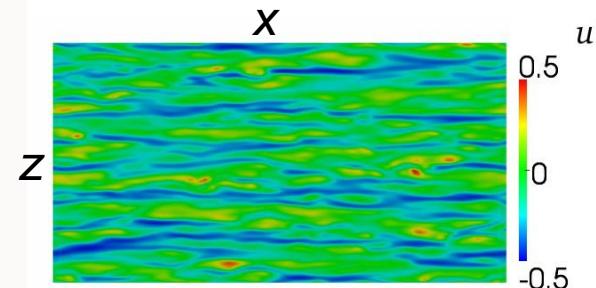
Vortices

$Q$  : standard utility

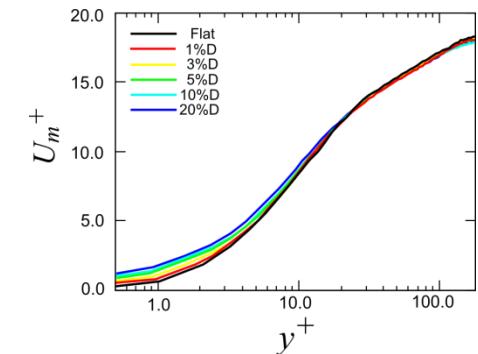


Streaks

Velocity fluctuation :



Turbulent statistics  
*postChannel*



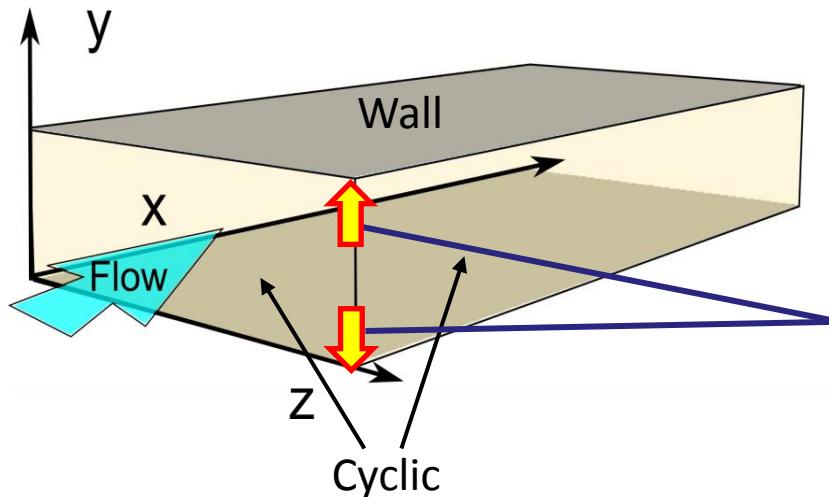


# Code validation of channelFoam



# Code validation

LESModel : *laminar* (No turbulence model)



$$Re = \frac{2u_m\delta}{v} = 5600$$

$u_m$ : mean velocity  
 $\delta$  : channel-half width  
 $v$  : kinematic viscosity

Non-uniform grid  
 $\Delta y_{\min}^+ = 0.5$

Label	Grid number	Method
Kim et al. (1987) <sup>[1]</sup>	$192 \times 129 \times 160$	Fourier-spectral
Present study	$128 \times 128 \times 128$	FVM with OF

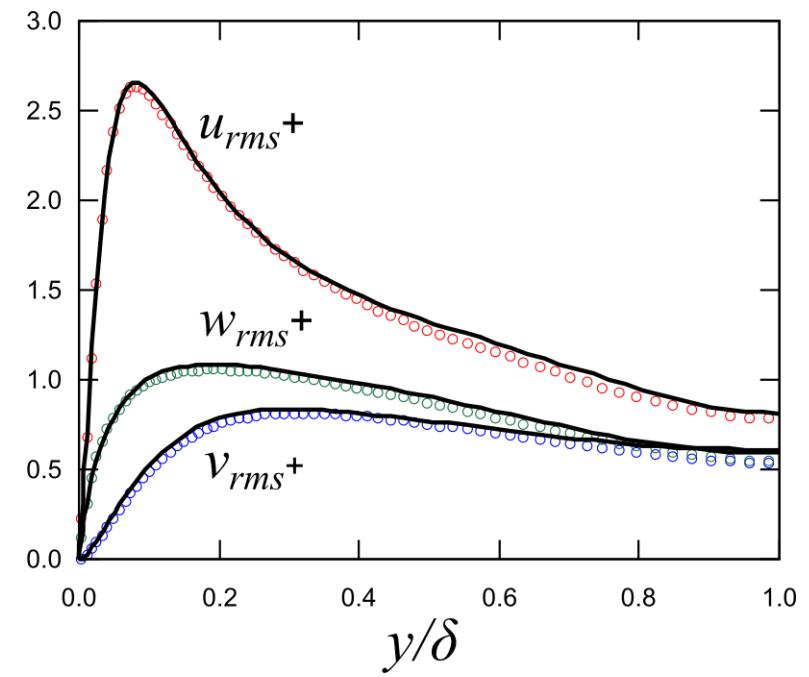
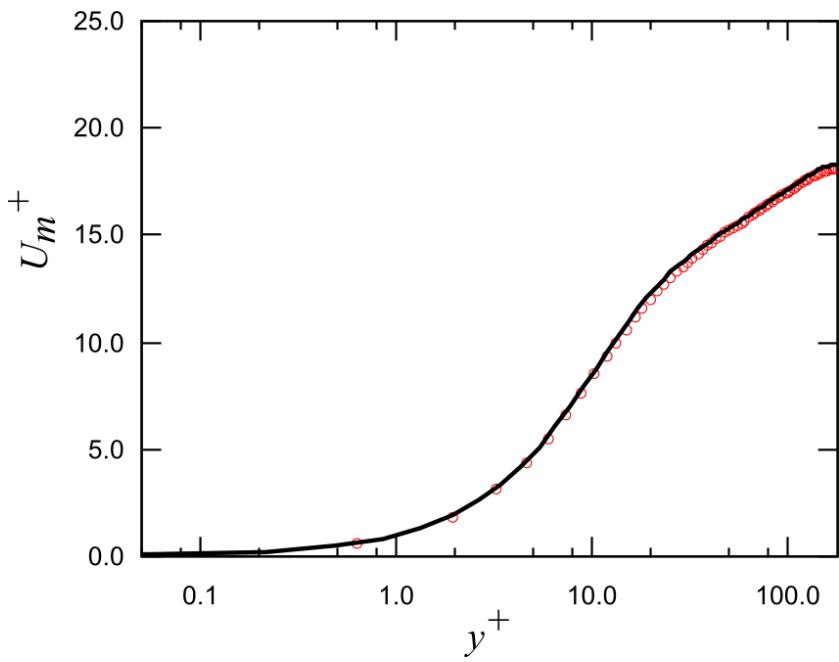
[1] J. Kim *et al.*, *J. Fluid Mech.*, **177**, pp. 133-166 (1987).



# Code validation

$$\text{Friction coefficient : } C_f = \frac{\tau_w}{\rho u_\tau^2}$$

Kim et al. (1987)     $C_f = 8.18 \times 10^{-3}$   
Present study         $C_f = 8.07 \times 10^{-3}$



The relative error of friction coefficient was **1.0%**



# Numerical simulation by channelFoam

- Turbulent channel bounded with wavy walls
- Turbulent channel bounded with porous walls

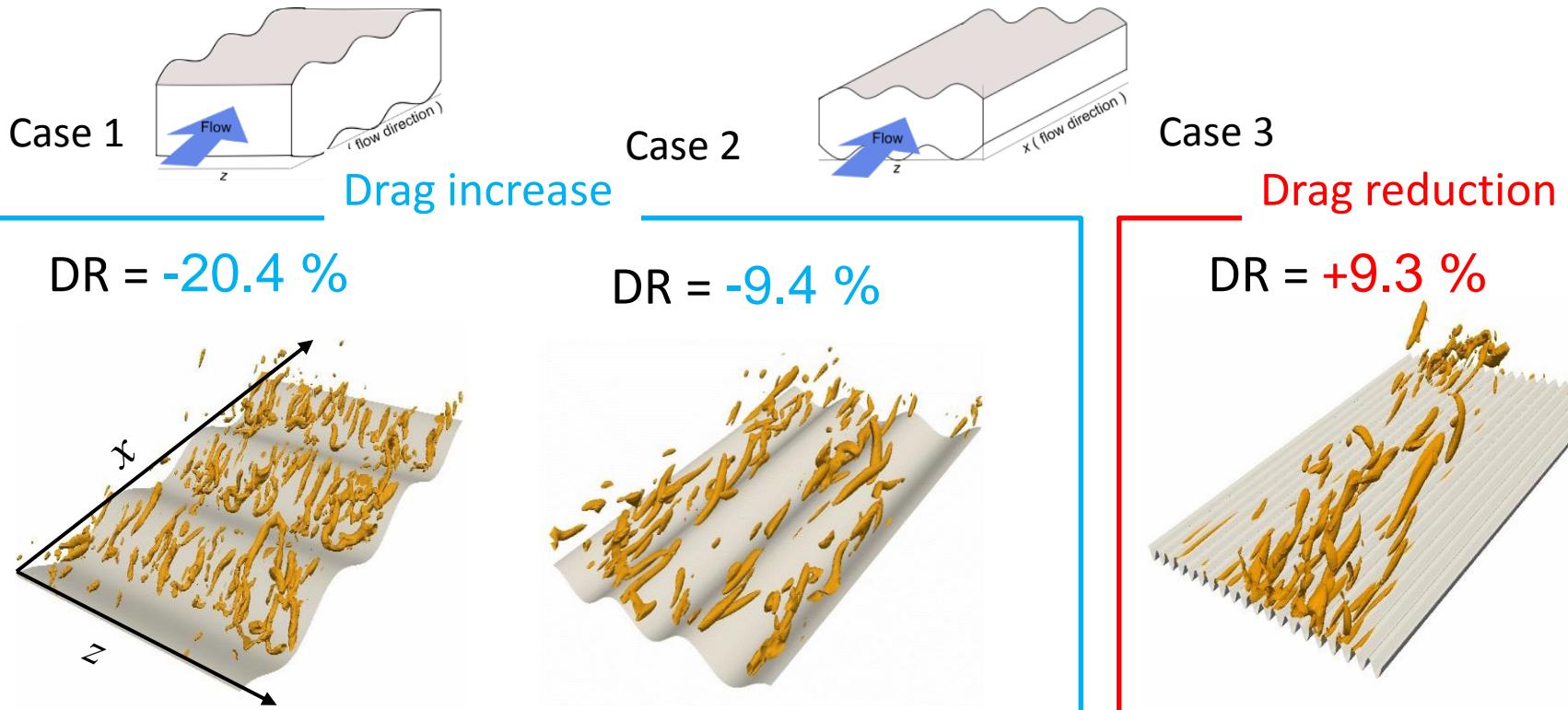


# Turbulent channel bounded with wavy walls

$$DR = \frac{\left( -\frac{dP}{dx} \Big|_{flat} \right) - \left( -\frac{dP}{dx} \Big|_{wavy} \right)}{\left( -\frac{dP}{dx} \Big|_{flat} \right)}$$

$-\frac{dP}{dx} \Big|_{flat}$  : mean pressure gradient in a flat channel

$-\frac{dP}{dx} \Big|_{wavy}$  : mean pressure gradient in a wavy channel





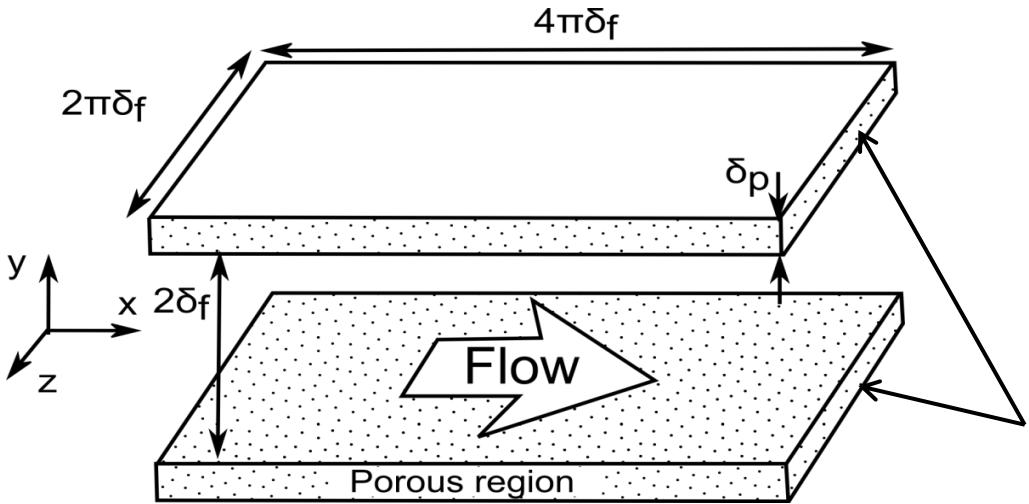
# Numerical simulation by channelFoam

- Turbulent channel bounded with **wavy** walls
- Turbulent channel bounded with **porous** walls



# Numerical simulation for turbulent channel flow bounded with porous walls

Developed by porous\*\*\*Foam



$$Re_m = \frac{2u_m(\delta_p + \delta_f)}{\nu} = 5600$$

$\delta_f$  : Half-width of fluid region

$\delta_p$  : Porous wall thickness

cellZone : porosity

Case	1%D	3%D	5%D	10%D	20%D	Flat
Porous wall thickness $\delta_p$	$0.01\delta_f$	$0.03\delta_f$	$0.05\delta_f$	$0.10\delta_f$	$0.20\delta_f$	—
Total channel width	$2.02\delta_f$	$2.06\delta_f$	$2.10\delta_f$	$2.2\delta_f$	$2.4\delta_f$	$2.0\delta_f$
Number of grid points $N_x, (N_y^f + N_y^p), N_z$	149, (129+10), 129	149, (129+16), 129	149, (129+16), 129	149, (129+20), 129	149, (129+20), 129	129,129,129



# DNS of channel flow with porous wall

## Governing equations

Continuity equation

$$\nabla \cdot \mathbf{u} = 0$$

Momentum equation

$$\frac{D\mathbf{u}}{Dt} = -\nabla p' + \nu \nabla^2 \mathbf{u} + (1 - \varphi) S$$

## Porous model

### Darcy-Forchheimer equation

$$S = -\frac{\nu}{K} \mathbf{u}_m - 2 \frac{c_f}{\sqrt{K}} |\mathbf{u}_m| \mathbf{u}_m$$

## Numerical scheme

### ➤ Spatial discretization scheme

Finite Volume Method

### ➤ Time advancement

Implicit Euler method ( 1<sup>st</sup> )

### ➤ Poisson equation

PISO algorithm

$\varphi$  : Porosity 0.80

$K$  : Permeability 0.02 [mm<sup>2</sup>]

$c_f$  : Forcheheimer coefficient 0.17



# Results – Drag reduction Ratio

Case	$\delta_p^+$	$C_f \times 10^3$	DR [%]
1%D	2	7.23	+0.3
3%D	5	6.47	+10.6
5%D	9	6.55	+9.6
10%D	18	7.16	+1.2
20%D	37	7.56	-4.3
Flat	-	7.25	-

## Drag reduction Ratio

$$DR [\%] = \left( 1 - \frac{C_f^p}{C_f^0} \right) \times 100$$

$C_f^p$ :Friction coefficient of porous wall

$C_f^0$ :Friction coefficient of flat wall

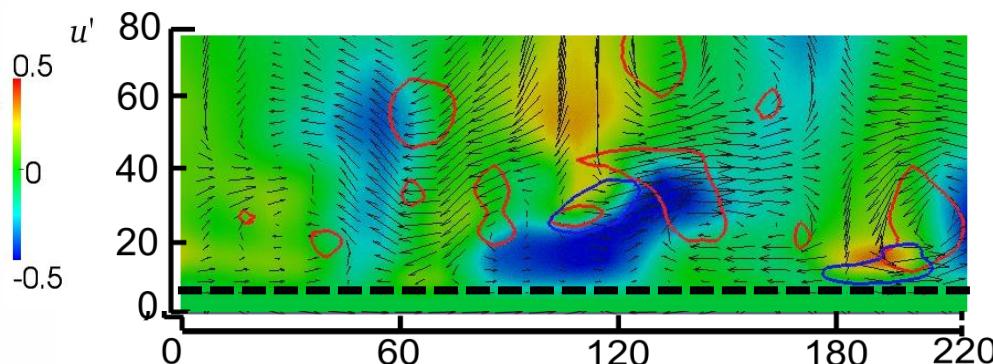
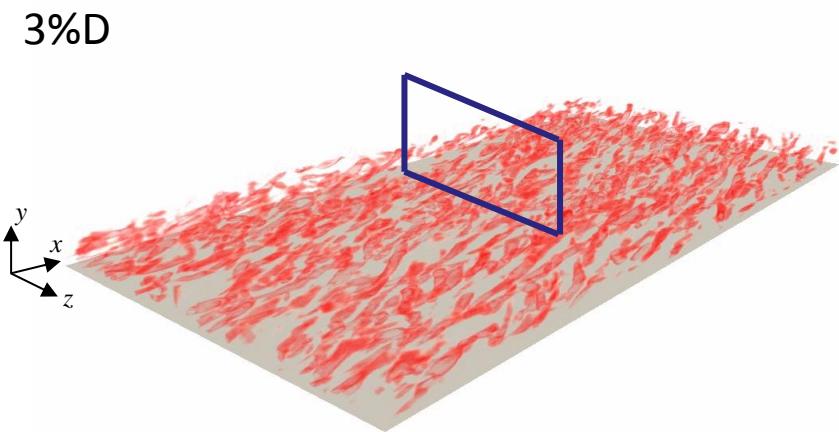
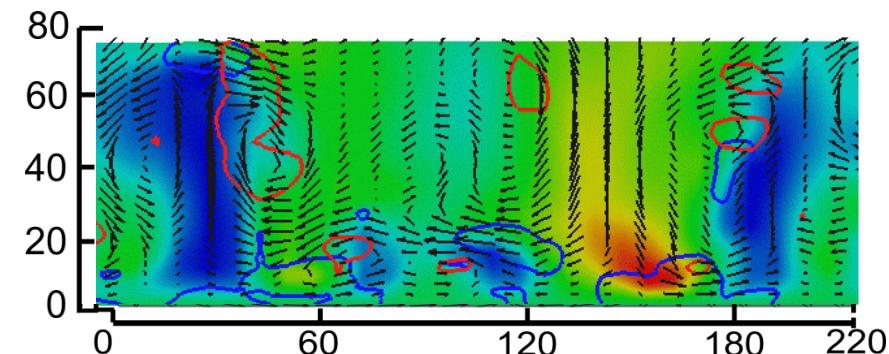
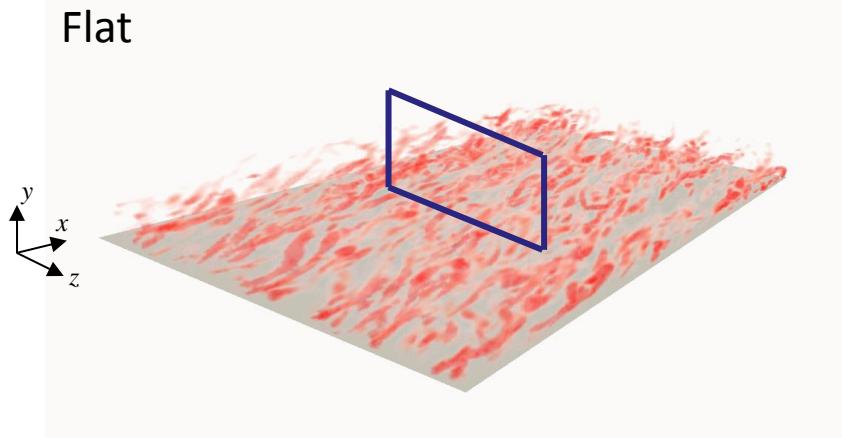
## FIK identity for fully developed turbulent channel flow[1]

$$C_f = \frac{12}{Re_b} + 12 \int_0^1 2(1-y)(-\bar{u}'\bar{v}')dy$$

Viscous term and Turbulent term



# Turbulent structure – Vortex structure



Red lines : Iso-contour of  $Q^+ = 0.2$   
Blue lines : Iso-contour of  $\varepsilon^+ = 0.3$



# Summary

- The direct numerical simulation of turbulent channel flow by standard incompressible solver *channelFoam*.
- OpenFoam is valid for analysis of turbulent flow, particularly in coupling other numerical model.  
**BUT**
- There are few post utilities for turbulent channel flow analysis.

## Future works

Other constitutive equation for porosity model

Biot's consolidation theory

$$\nabla \sigma - \nabla p + \frac{\partial d\mathbf{U}}{\partial t} = 0$$

$$\frac{\phi}{K'} \frac{\partial p}{\partial t} - \frac{K}{\gamma_w} \nabla^2 p + \frac{\partial}{\partial t} (\nabla \cdot d\mathbf{U}) = 0$$

$\sigma$	:Total stress
$p$	:Pore pressure
$d\mathbf{U}$	:Displacement velocity
$\gamma_w$	:Specific weight of water
$K'$	:Bulk modulus
$K$	:Permeability
$\phi$	:Porosity



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